

# **New Approaches to Balancing Security & Economy: Risk-based security-constrained economic dispatch (RB-SCED)**

James D. McCalley

jdm@iastate.edu

Iowa State University

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- Qin Wang (MISO), Xian Guo (ISU)
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# Outline

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4. RB-SCED Solution Procedure
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  - ISO-NE system
6. Effect on LMPs
7. Corrective RB-SCED
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# Motivation

**Provide new market/security software capabilities via:**

**BETTER SECURITY & ECONOMIC PERFORMANCE:  
Identify a more secure operating condition at lower production costs**

## Function

**Risk-based security-  
constrained economic  
dispatch (RB-SCED)**



## Concept

**Achieve economic objective while  
managing *system* security +*circuit*  
security instead of only the latter.**



## Outcome

- **more secure operating conditions**
- **lower costs**

# Motivation

This work is about how to operate power systems under steady-state contingency constraints.

It suggests two changes to the way we balance security and economy in operating power systems [1,2,3] (which is done by the SCED today).

1. Probabilistically weight the contingencies.

2. Change the nature and number of the constraints

This talk focuses mainly on #2 because it is essential.

[1] T. Dy Liacco, "Real-time Computer Control of Power Systems," Proc. of the IEEE, Vol. 62, No. 7, July 1974,

[2] J. Carpentier, "Differential Injections Method: A General Method for Secure and Optimal Load Flows", IEEE PICA Conference Proceedings Minneapolis, MN, pp. 255-262, June 1973

[3] O. Alsac and B. Stott, "Optimal load flow with steady state security," IEEE Trans. on Power Apparatus and Systems, Vol. PAS-93, pp. 745-751, May/June 1974

# Motivation

## Operating condition 1:

1 contingency having  
1 post-contingency flow at  
101% of its long-time emergency (LTE) limits;  
all other contingencies result in post-contingency  
flows < 90% of their LTE

**“INSECURE”**

## Operating condition 2:

2 different contingencies each having  
2 post-contingency flows between  
95% and 100% of their LTE

**“SECURE”**

Yet operating condition #2 is more risky than operating condition #1.  
Today’s approach does not capture this because it does not quantify  
security level in terms of:

- “heavy” post-contingency flows < 100% of LTE
- number of contingencies resulting in “heavy” post-contingency flows
- number of “heavy” post-contingency flows for each contingency

# SCED and RB-SCED

Whereas SCED imposes re-dispatch control

- only for post-contingency flows exceeding its LTE
- as much as needed, to satisfy the (circuit) LTE

RB-SCED imposes re-dispatch control

- for all “heavy” flows
- weighted by flow magnitude, to satisfy a (system) risk constraint

# SCED and RB-SCED

**Under RB-SCED, the system is dispatched under normal conditions to:**

Same as SCED

**1) Satisfy pre-contingency (normal) flow constraints**

Makes it more secure than SCED

**2) Lower post-contingency flows for circuits having post-contingency loadings above 90% of LTE flow limits**

Makes it more economic than SCED

**3) Satisfy post-contingency flow constraints**

- at LTE flow limits
- at 105% of LTE flow limits
- at 120% of LTE flow limits (STE)

(2) and (3) together results in more secure & more economic operating conditions.

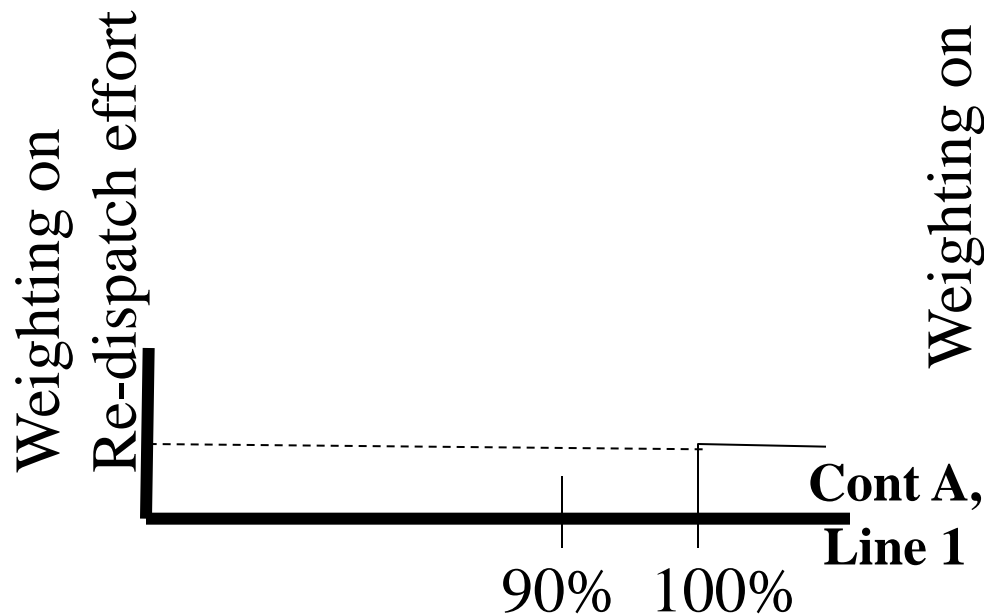
# SCED and RB-SCED

Operating condition 3:

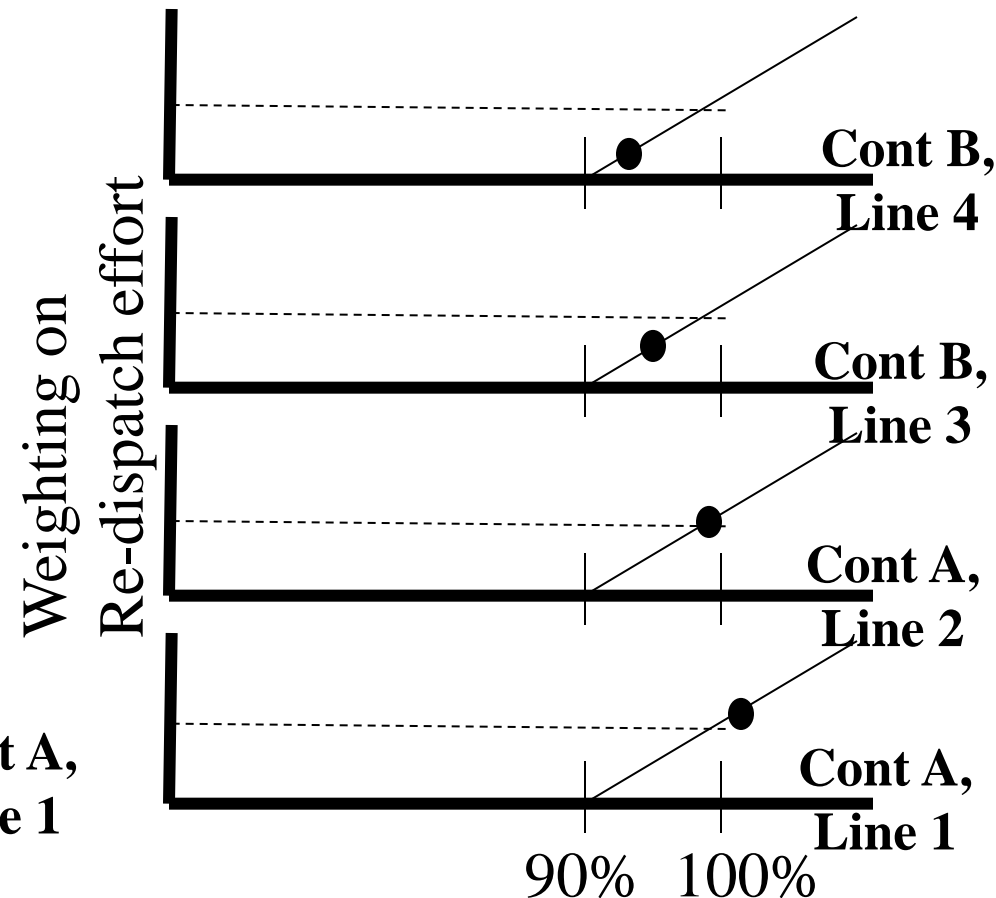
Contingency A results in post-contingency flows of 103% and 98%

Contingency B results in post-contingency flows of 95% and 93%.

**What SCED does**



**What RB-SCED does**





# Formulation - Optimization

## SCED

## RB-SCED

$$\text{Min } \{ f(\underline{P}_0) \}$$

$$\text{Min } \{ f(\underline{P}_0) \}$$

*s.t.*

*s.t.*

$$\underline{h}(\underline{P}_0) = \underline{0}$$

$$\underline{h}(\underline{P}_0) = \underline{0}$$

**PF Eqs**

$$\underline{g}_{\min} \leq \underline{g}(\underline{P}_0) \leq \underline{g}_{\max}$$

$$\underline{g}_{\min} \leq \underline{g}(\underline{P}_0) \leq \underline{g}_{\max}$$

**normal constraints**

$$\underline{g}'_{\min} \leq \underline{g}'_k(\underline{P}_0) \leq \underline{g}'_{\max}, k = 1, \dots, NC$$

$$K_C \underline{g}'_{\min} \leq \underline{g}'_k(\underline{P}_0) \leq K_C \underline{g}'_{\max}, k = 1, \dots, NC$$

$$0 \leq \text{Risk}(\underline{g}'_1(\underline{P}_0), \dots, \underline{g}'_{NC}(\underline{P}_0)) \leq K_R \text{Risk}_{\max}$$

**Contingency Constraints**

**Risk constraint**

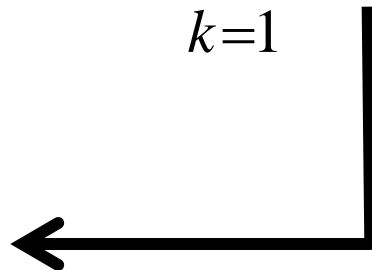
- PF Eqs and normal constraints are identical
- $K_C < 1$  tightens contingency constraints;  $K_C > 1$  loosens them
- Risk constraint is across all contingencies
- $K_R < 1$  tightens risk constraint,  $K_R > 1$  loosens risk constraint
- RB-SCED becomes SCED with  $K_R = \infty$ ,  $K_C = 1$
- $K_R$ ,  $K_C$  enable tradeoff between system & circuit security

# Formulation - Risk Expression

A weighted sum of normalized post-contingency flows on heavy-loaded circuits.

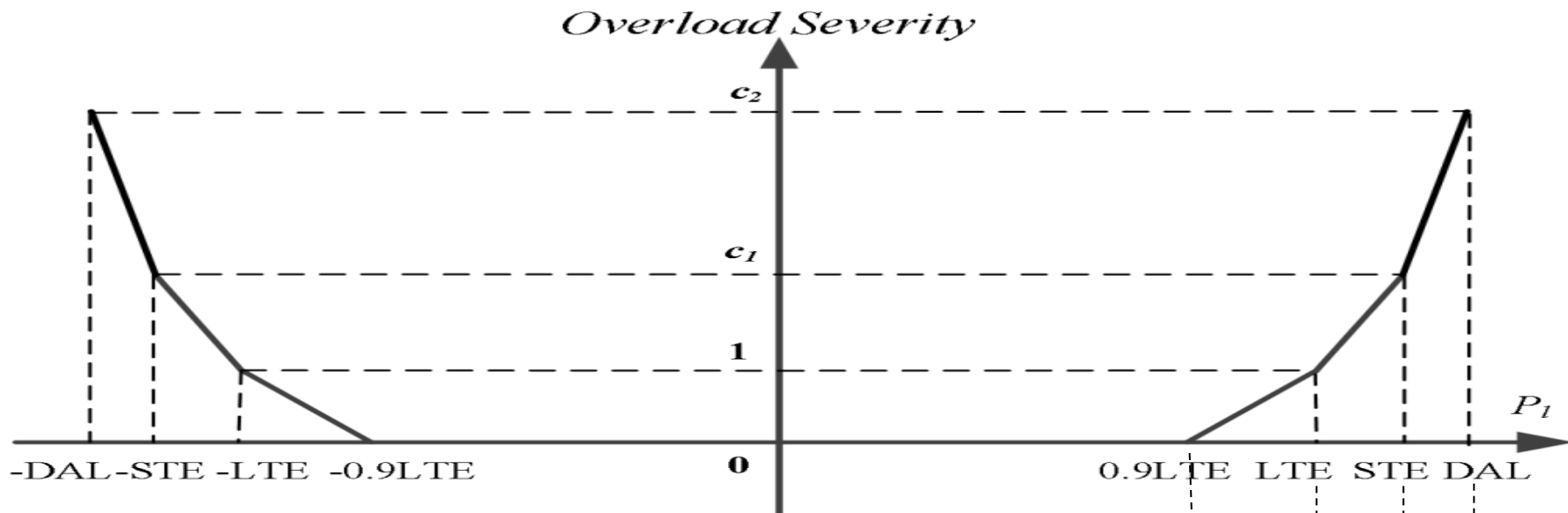
$$Risk(\underline{g}_1(\underline{P}_0), \dots, \underline{g}_{N_C}(\underline{P}_0)) = \sum_{k=1}^{N_C} \Pr_k \sum_{j=1}^{N_L} Sev_j(\underline{g}_k(\underline{P}_0))$$

Contingency probabilities:



- computed using historical data & real-time information [1]
- or assigned identical values:  $\Pr_k = 1/(N_C + 1)$  for all  $k$ .

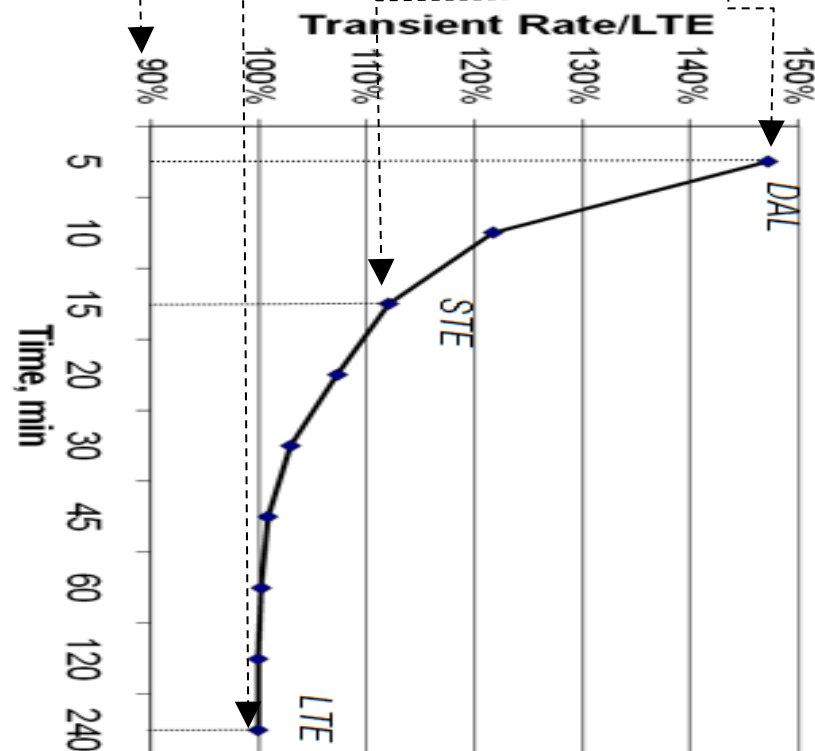
[1] F. Xiao, J. McCalley, Y. Ou, J. Adams, S. Myers, "Contingency Probability Estimation Using Weather and Geographical Data for On-Line Security Assessment," Proceedings of the 9<sup>th</sup> International Conference on Probabilistic Methods Applied to Power Systems, June 11-15, 2006.



### Adaptive Emergency Transm Rates [1]

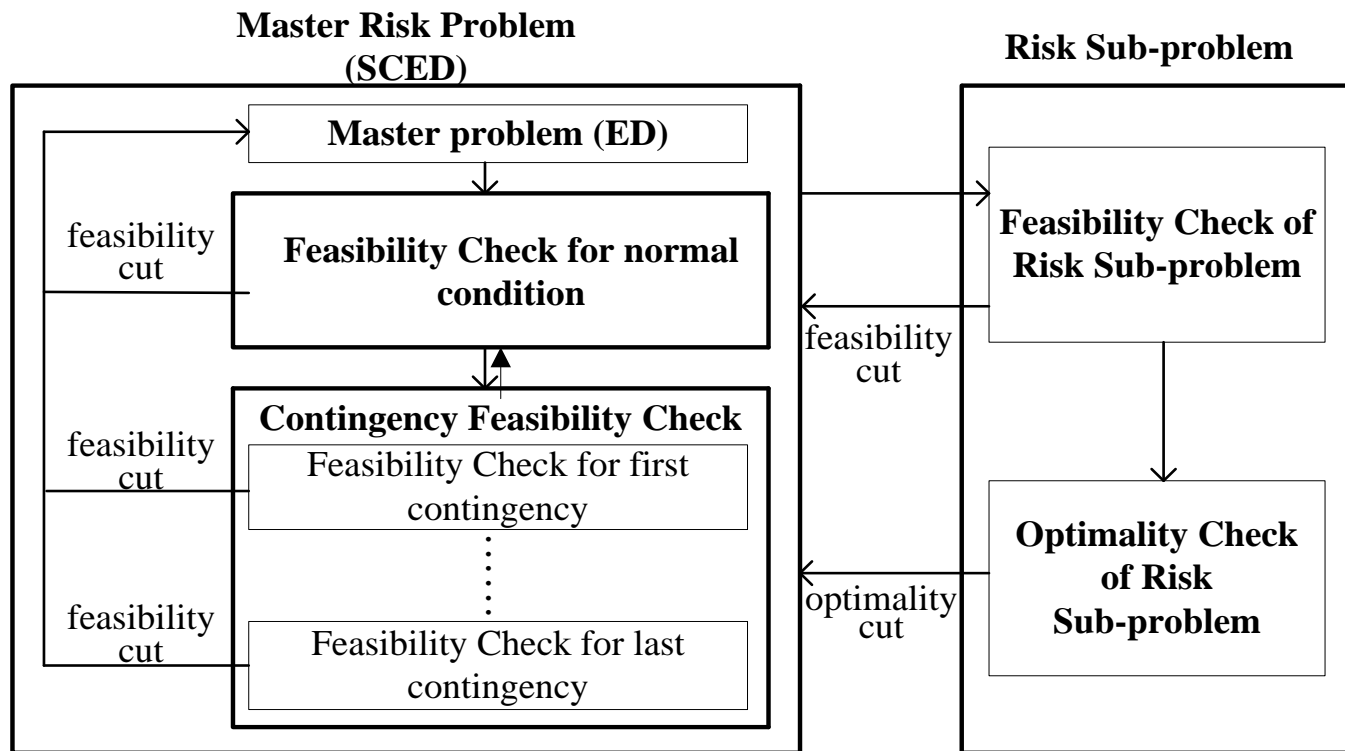
- Long-time emergency (LTE) rating, 4hrs
- Short-time emergency (STE) rating, 15mins
- Drastic action limit (DAL), immediate

[1] S. Maslennikov, E. Litvinov. "Adaptive Emergency Transmission Rates in Power System and Market Operation," *IEEE Trans. Pwr Sys*, May 2009.



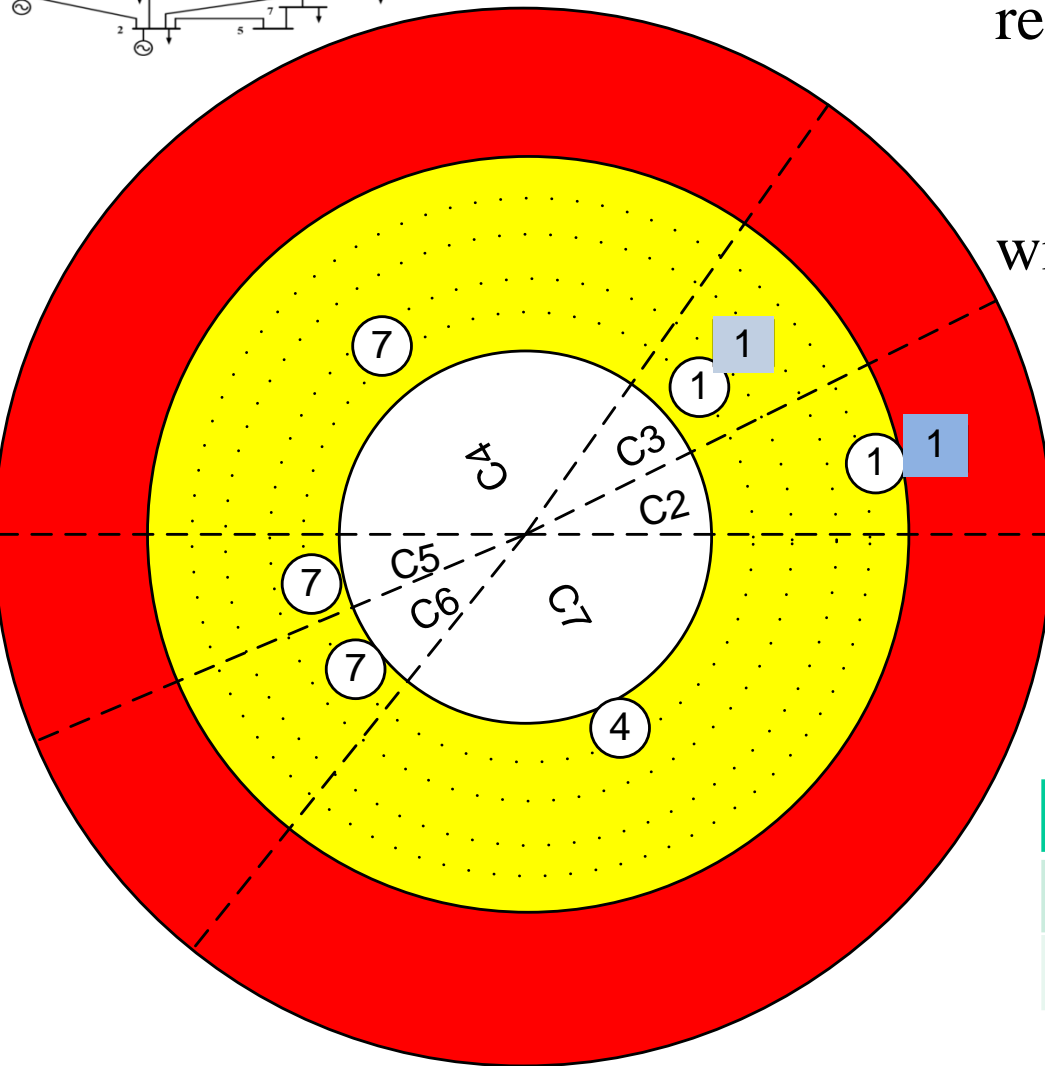
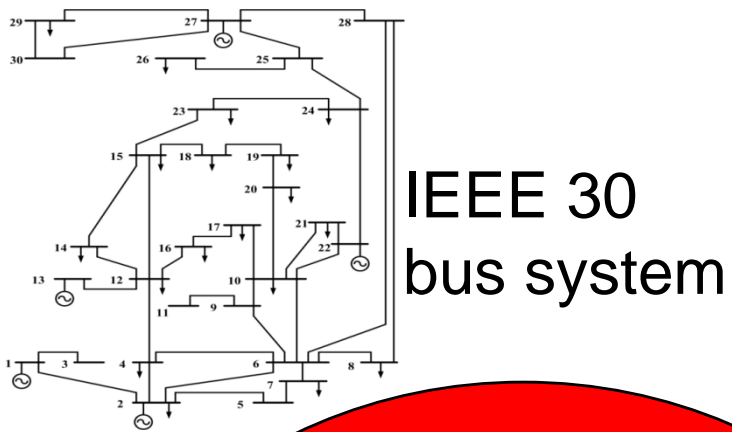
# Formulation – Severity Evaluation

# RB-SCED Solution Procedure [1]



- DC power flow representation is used.
- Risk cannot be evaluated until flows are known.
- Two-level nested Benders decomposition:
  - Master risk problem is a SCED solved by Benders
  - SCED solution checked for feasibility & optimality in risk subproblem

# Results: 30-bus system



Post-contingency flows represented by

White Circles: SCED

Blue Squares: RB-SCED

with distance to center = %flow:

White: Safe flow, < 90%

Yellow: Heavy flow, 90-100%

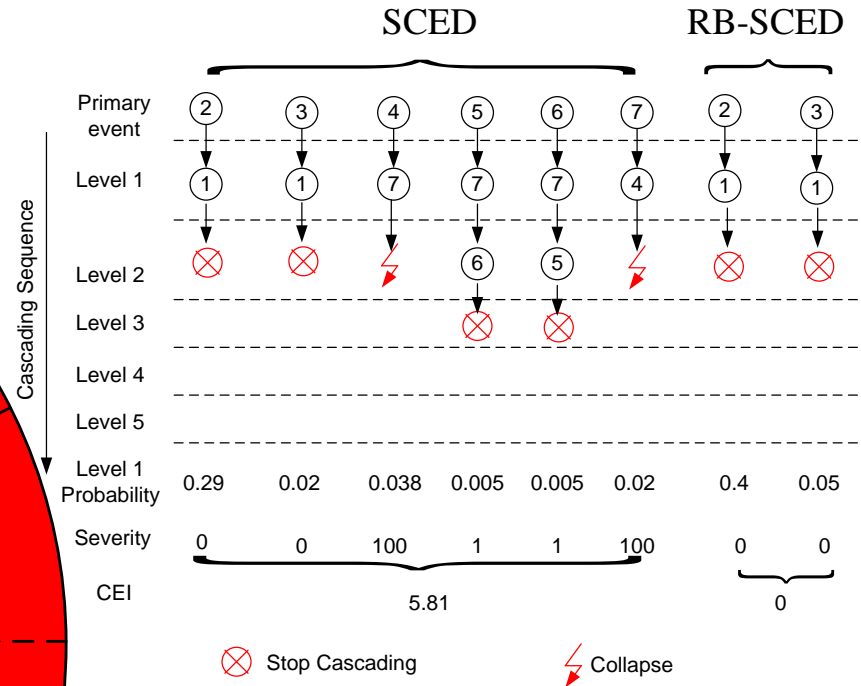
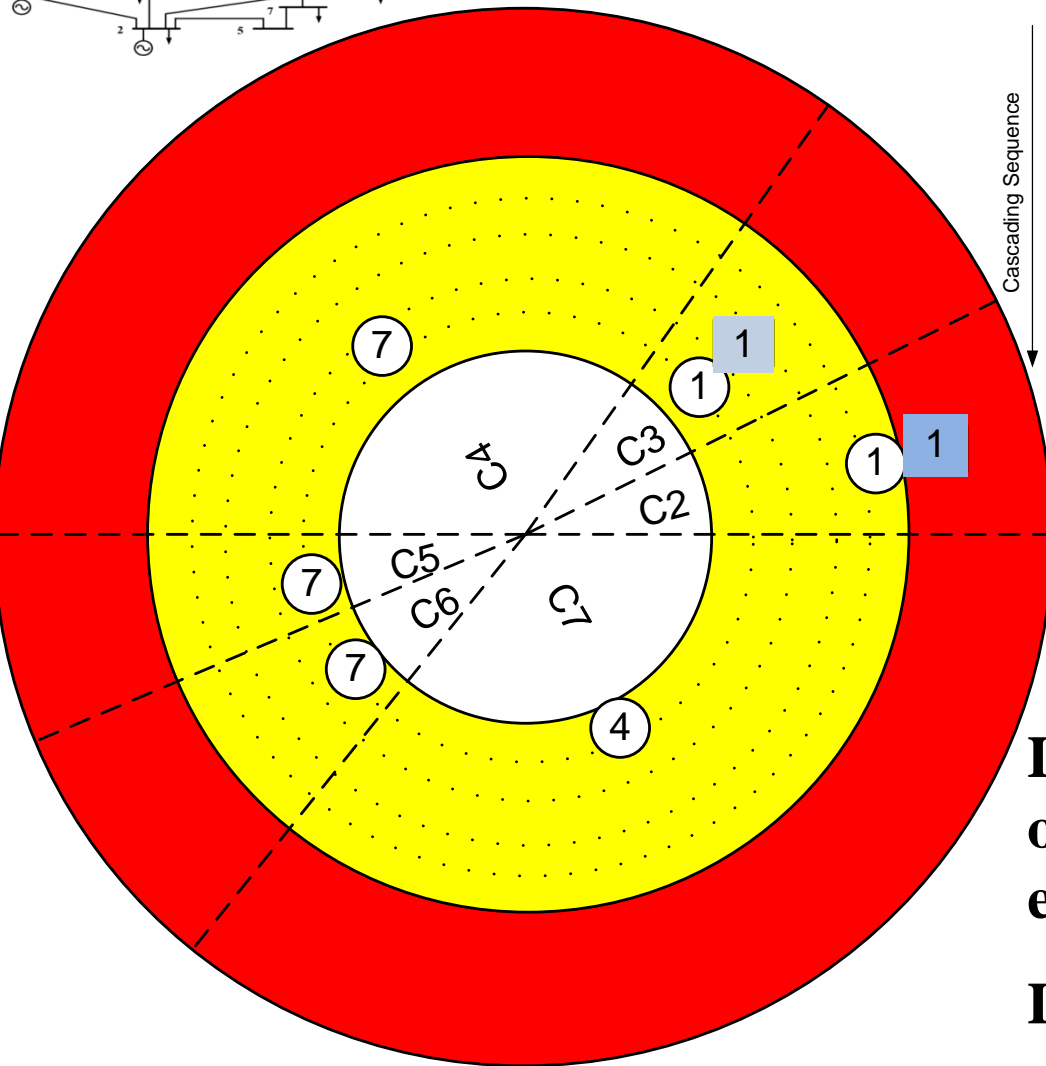
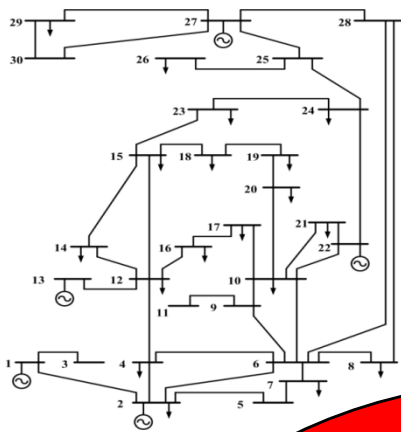
Red: Exceeds LTE

Sectors: contingencies

|      | SCED      | RB-SCED   |
|------|-----------|-----------|
| Cost | \$451,383 | \$446,420 |
| Risk | 1.51      | 0.84      |

# Results: 30-bus system

## Is it more secure?

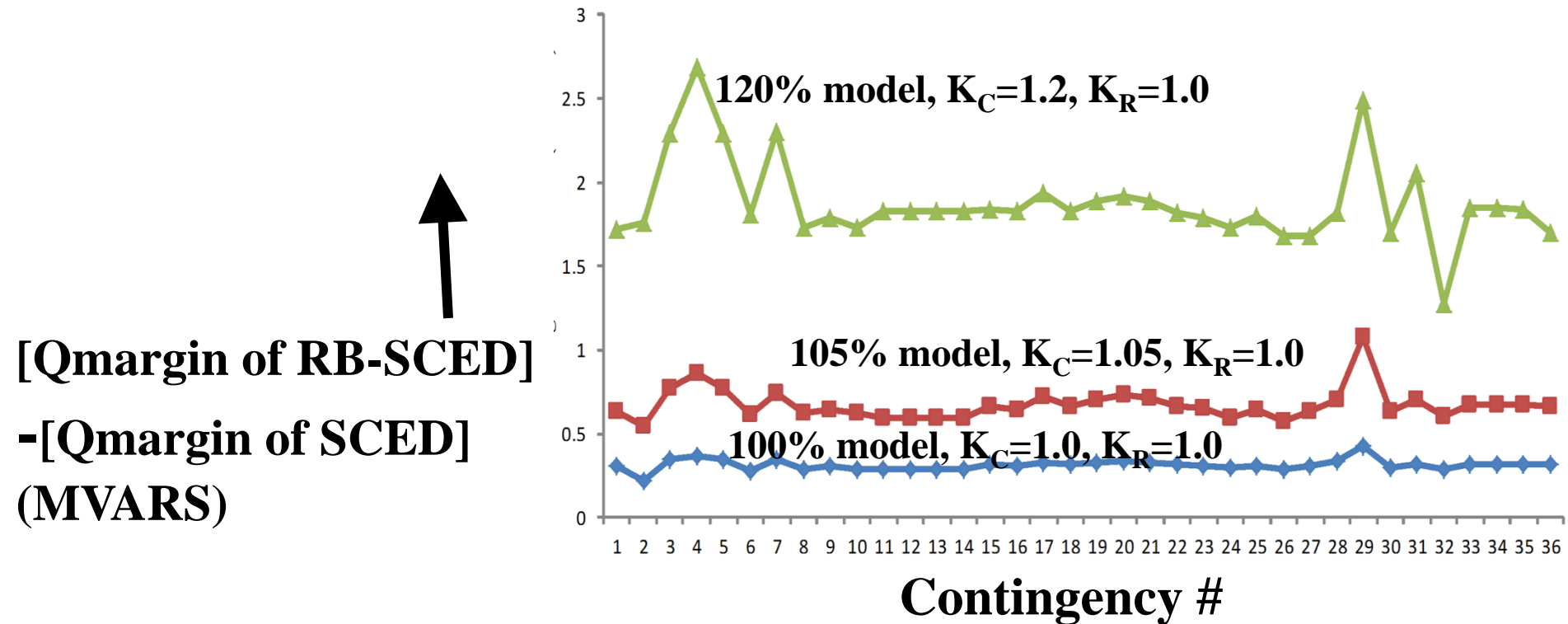


**Level 1 is a second trip after initial outage, for circuits w/ flows exceeding 90%.**

**Levels 2, 3, ... occur if flow > 125%**

# Results: 30-bus system

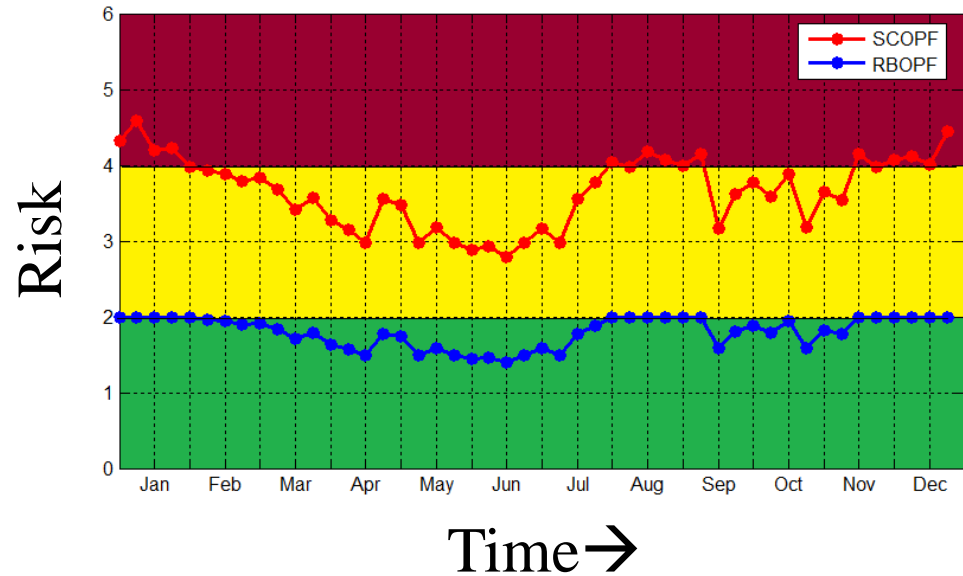
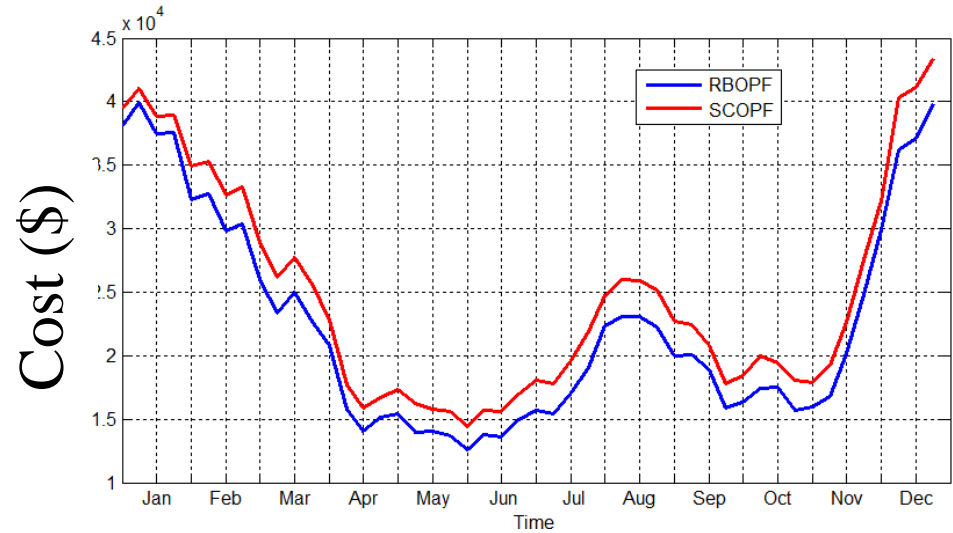
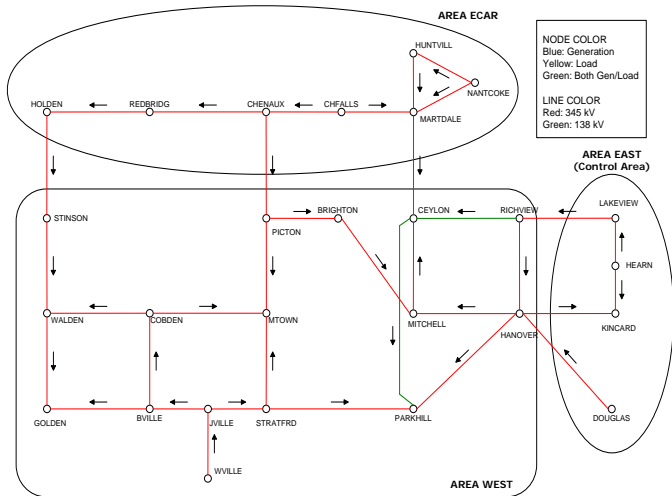
## Is it more secure?



Post-contingency flows are more uniformly loaded, reactive losses are lower, so Qmargin is greater.

AC power flow analysis indicates SCED model has more reactive losses than RB-SCED model.

# Results: 85-bus system

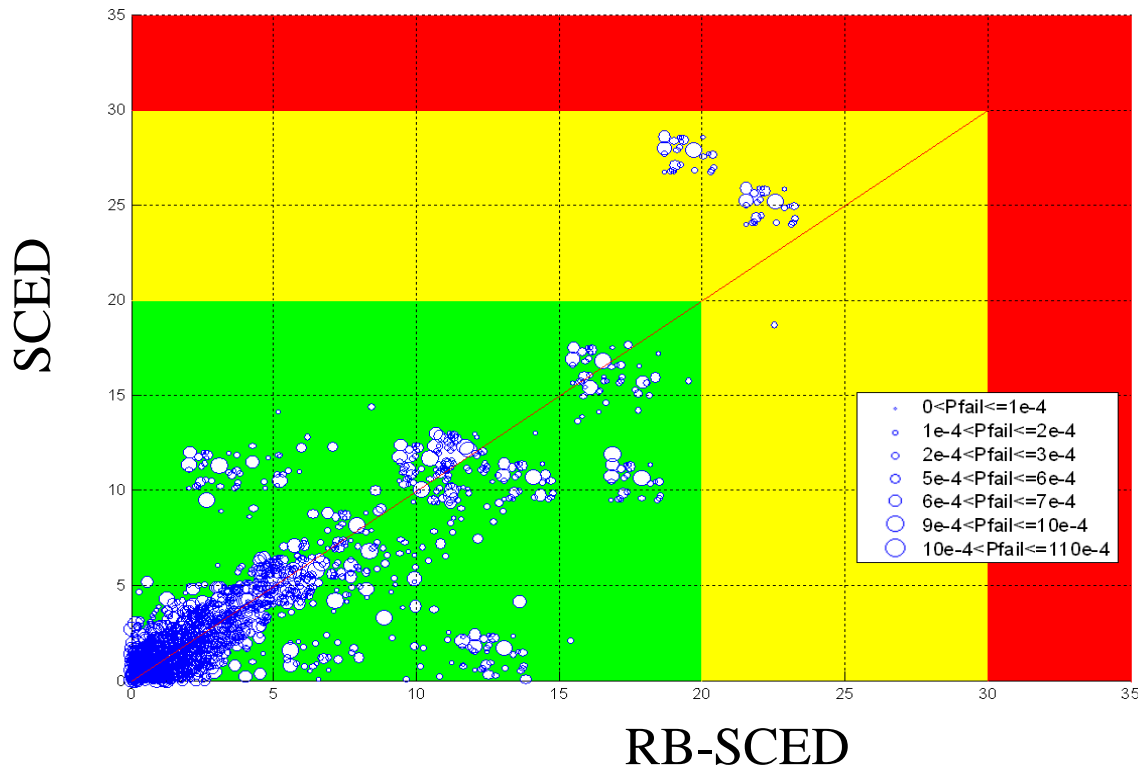




# Results: 85-bus system

## Is it more secure?

Post-contingency angle separations



# Results: ISONE System

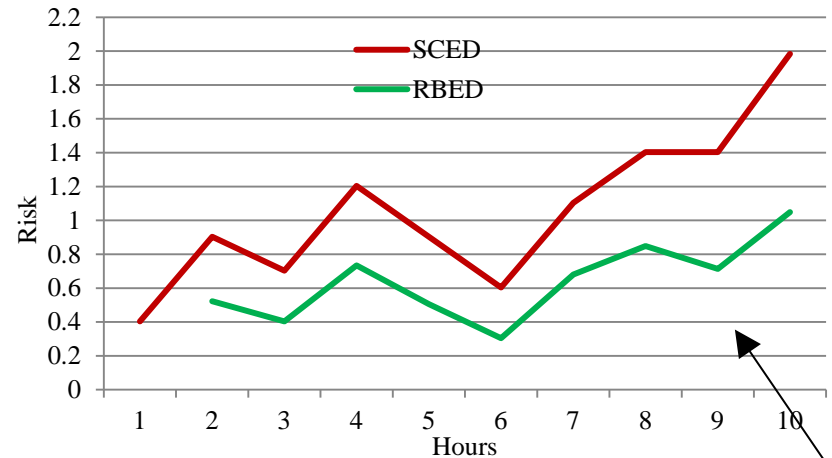
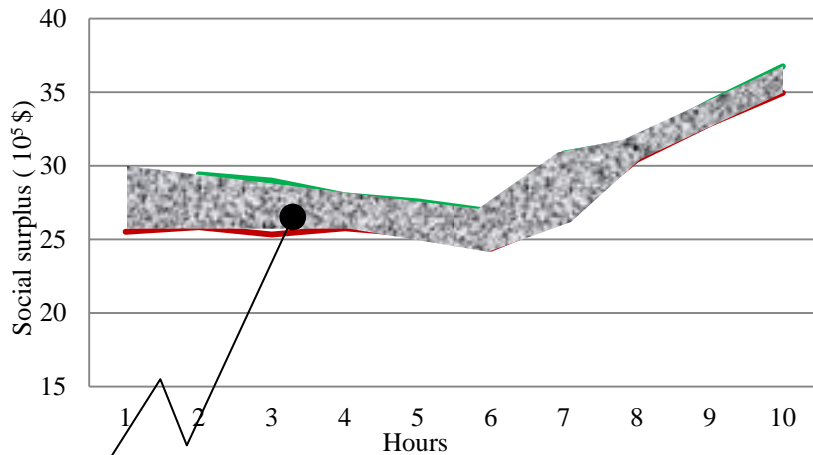
## ISO New England system

- 2351 buses, 3189 circuits, 250 contingencies
- 802,150 decision variables, 4,001,196 constraints
- $\text{Risk}_{\max} = \text{Risk from SCED}$  so reference risk is no higher than what has been acceptable in the past, then,  $K_R=0.5$
- Solved in CPLEX on a PC laptop with intel Core 2 Duo 2.50 GHz and 3GB memory; solution time is ~20 min.

|                     | SCED    | RB-SCED                            |                                       |                                       |
|---------------------|---------|------------------------------------|---------------------------------------|---------------------------------------|
|                     |         | 100% Model<br>( $K_C=1, K_R=0.5$ ) | 105% Model<br>( $K_C=1.05, K_R=0.5$ ) | 120% Model<br>( $K_C=1.20, K_R=0.5$ ) |
| <b>Cost (\$/hr)</b> | 684,642 | 728,899                            | 610,611                               | 605,542                               |
| <b>Risk</b>         | 18.27   | 9.13                               | 9.13                                  | 9.13                                  |

# Results: ISONE System

Comparing SCED & RB-SCED on ISO-NE system for 10 sequential hrs  
(Different cases from previous slide).



- Area=ISO-NE savings over 10 hrs=\$2M (assume 0 during other 14 hrs)
- Annual cost saving:  $\$2.0\text{M} \times 5 \times 52 = \$520\text{M}/\text{yr}$  (assume 0 for weekend)

**And it is more secure!**

# Results: ISONE System

## Is it more secure?

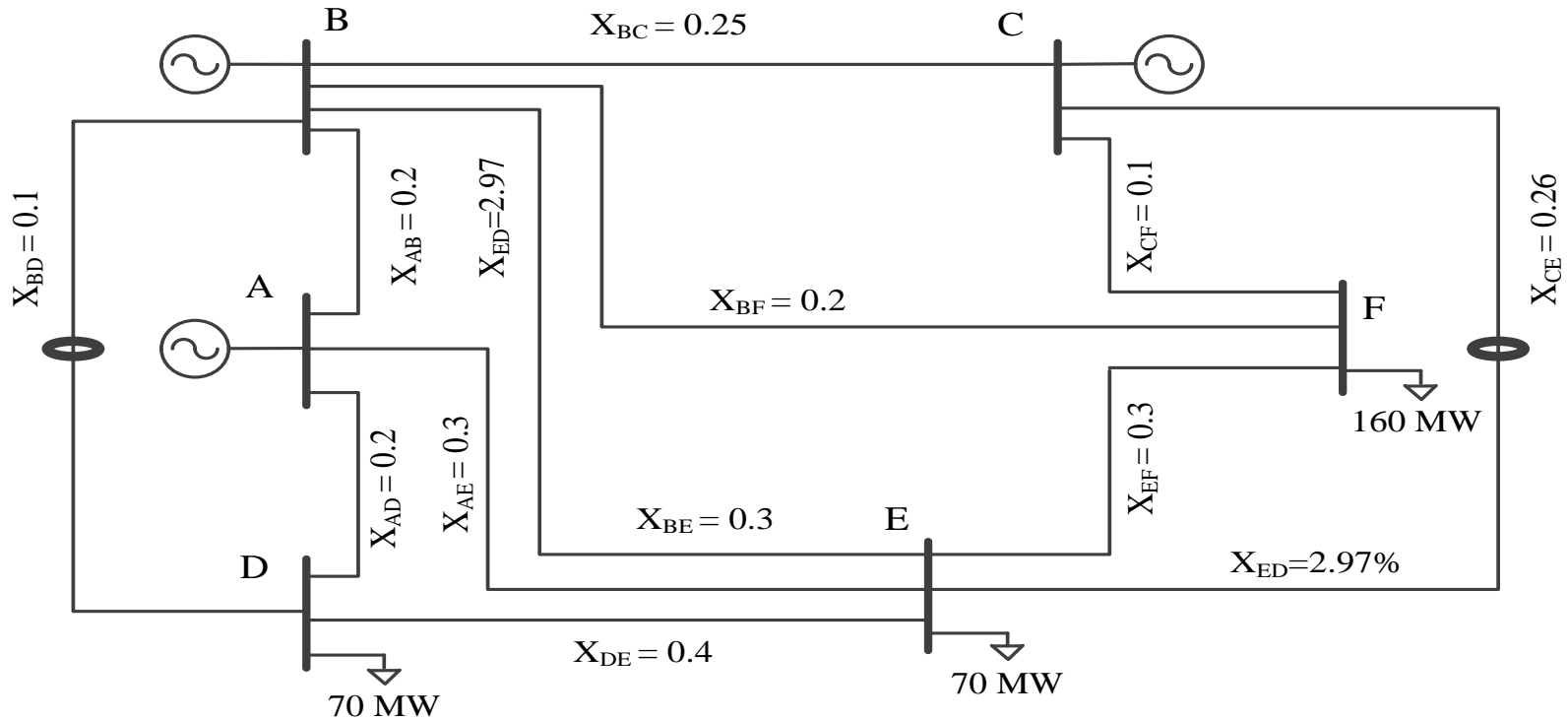
|                |            | Number of circuits with flows exceeding 90% of continuous limit in the <i>normal state</i> | Number of circuits with flows exceeding 90% of LTE in <i>all post-contingency states</i> |
|----------------|------------|--|--|
| <b>SCED</b>    |            | 33   | 8183   |
| <b>RB-SCED</b> | 100% model | 28   | 6819   |
|                | 105% model | 22   | 5388   |
|                | 120% model | 23   | 5678   |

# Effect on LMPs

| Traditional LMPs=  | Risk-based LMPs   |
|--|---|
| $LMP_i^{Energy} = \lambda_1$   | $RLMP_i^{Energy} = \lambda_2$   |
| $+$ $LMP_i^{Loss} = -\frac{\partial Loss}{\partial P_i} \lambda_1$   | $+$ $RLMP_i^{Loss} = -\frac{\partial Loss}{\partial P_i} \lambda_2$   |
| $+$ $LMP_i^{Congestion} = -\left(\sum_{l=1}^{NL} \mu_{1l}^0 GSF_{l-i}^0 + \sum_{k=1}^{NC} \sum_{l=1}^{NL} \mu_{1l}^k GSF_{l-i}^k\right)$ | $+$ $RLMP_i^{Congestion} = -\left(\sum_{l=1}^{NL} \mu_{2l}^0 GSF_{l-i}^0 + \sum_{k=1}^{NC} \sum_{l=1}^{NL} \mu_{2l}^k GSF_{l-i}^k\right)$ |
|  | $+$ $RLMP_i^{Risk} \Big _{S_1} = -\sum_{k=1}^{NC} \sum_{l=1}^{NL} r_l^k Pr_k GSF_{l-i}^k \tau$  |

**The risk component of the LMP provides a price signal that incentivizes market participants to improve system risk.**

# Results: Six bus system



| Model                                       | Bus Name | (R)LMP | (R)LMP Energy | (R)LMP Congestion | RLMP Risk |
|---|----------|--------|---------------|-------------------|-----------|
| SCED  | A        | 13.53  | 13.53         | 0.00              | -         |
|   | B        | 11.33  | 13.53         | -2.20             | -         |
|   | C        | 11.83  | 13.53         | -1.70             | -         |
|   | D        | 34.58  | 13.53         | 21.04             | -         |
|   | E        | 16.95  | 13.53         | 3.41              | -         |
|   | F        | 13.73  | 13.53         | 0.20              | -         |
| 100% model<br>( $K_C=1$ ; $K_R=0.9$ )       | A        | 13.53  | 13.53         | 0.00              | 0.00      |
|   | B        | 12.11  | 13.53         | -1.80             | 0.37      |
|   | C        | 14.99  | 13.53         | 0.26              | 1.19      |
|   | D        | 33.13  | 13.53         | 19.48             | 0.11      |
|   | E        | 15.51  | 13.53         | 2.70              | -0.73     |
|   | F        | 14.30  | 13.53         | 0.14              | 0.62      |
| 105% model<br>( $K_C=1.05$ ;<br>$K_R=0.9$ ) | A        | 13.53  | 13.53         | 0                 | 0.00      |
|   | B        | 14.66  | 13.53         | 0                 | 1.13      |
|   | C        | 17.13  | 13.53         | 0                 | 3.60      |
|   | D        | 13.87  | 13.53         | 0                 | 0.33      |
|   | E        | 11.35  | 13.53         | 0                 | -2.19     |
|   | F        | 15.41  | 13.53         | 0                 | 1.87      |

Some buses have higher RLMPs; some have lower, due to

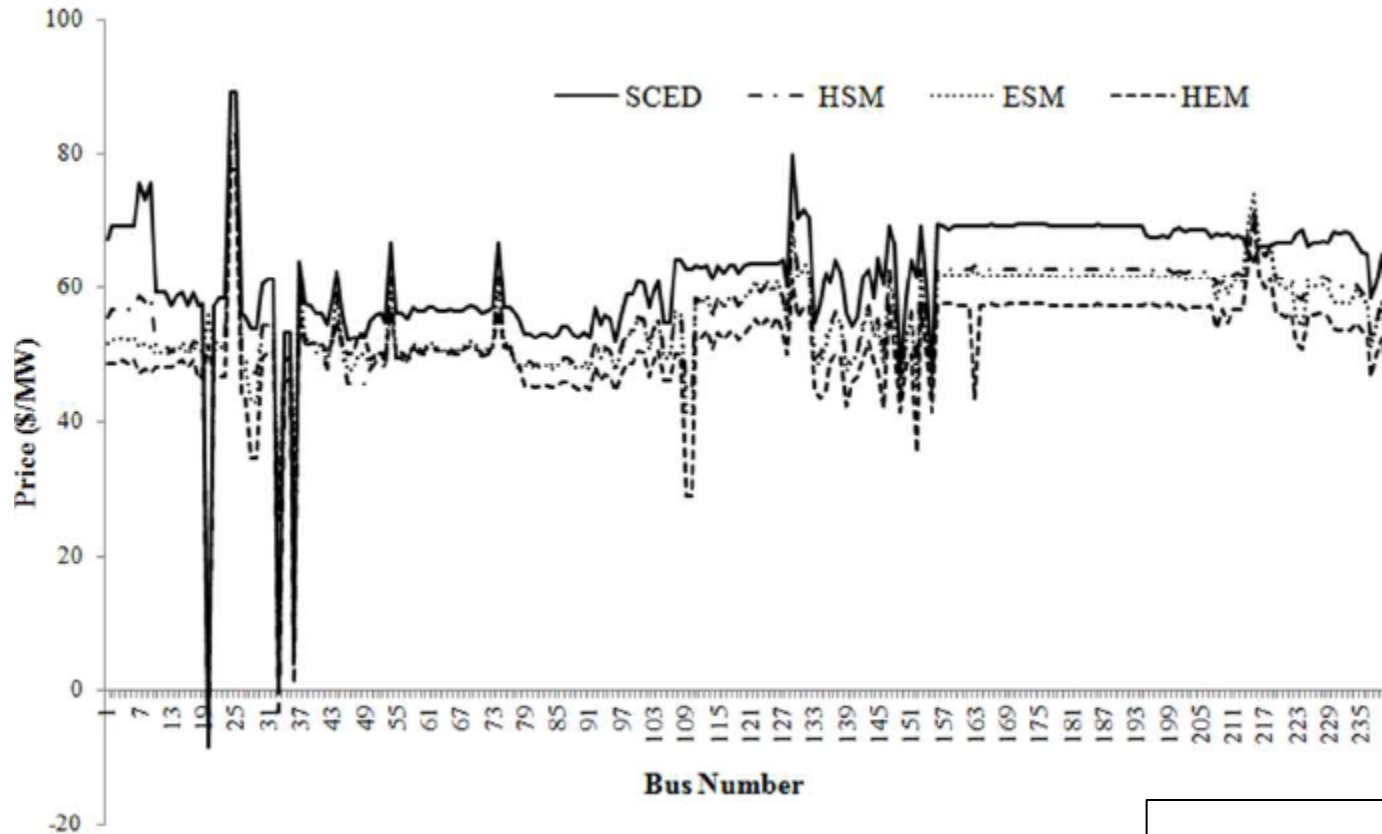
- Risk constraint causes increase
- Relaxed post-contingency limits causes decrease

For SCED & 100% model, investment incentives are on B-D. For 105% model, investment incentives are on C-E.

Difference is due to RLMP's ability to distinguish between

- line C-E's carrying heavy post-contingency flow for 2 contingencies, with post-contingency loadings of 97.5% and 101.8%, respectively,
- line B-D's carrying heavy post-contingency flow for only 1 contingency, with post-contingency loadings of 100%.

# Results: 240 bus WECC system



|               |       | RB-SCED    |            |            |
|---------------|-------|------------|------------|------------|
|               | SCED  | 100% model | 105% model | 120% model |
| Average (\$)  | 60.85 | 61.60      | 55.42      | 51.73      |
| Standard Dev. | 9.75  | 9.27       | 6.82       | 6.45       |

R-LMP's are more uniform over space and, we think, less volatile.



# Corrective RB-SCED [1]

- Corrective RB-SCED allows post-contingency corrective action to relieve loadings;
- Formulated, coded, and tested it on 30-bus system and on ISO-NE system;
- Results from ISO-NE system are below.

| Constraints | CSCOPF   | CRB-SCOPF                   |                                |                                |
|-------------|----------|-----------------------------|--------------------------------|--------------------------------|
|             |          | HSM<br>( $K_C=1, K_R=0.5$ ) | ESM<br>( $K_C=1.05, K_R=0.5$ ) | HEM<br>( $K_C=1.20, K_R=0.5$ ) |
| Risk        | 18.24    | 9.12                        | 9.12                           | 9.12                           |
| Cost (\$)   | 616172.1 | 678654.3                    | 608672.2                       | 593676.6                       |

| approach  |      | no. of circuits with flow over 90% <i>limit</i> |                           |
|-----------|------|---|---------------------------|
|           |      | normal state                                    | <i>contingency states</i> |
| CSCOPF    |      | 30  | 7201                      |
| CRB-SCOPF | HSM  | 21  | 5876                      |
|           | ESM  | 19  | 5019                      |
|           | EESM | 18  | 4963                      |

[1] \*Q. Wang, J. McCalley, T. Zheng, and E. Litvinov, "Solving Corrective Risk-based Security-Constrained OPF with Lagrangian Relaxation and Benders Decomposition," under review by *IEEE Transactions on Power Systems*.

# Conclusions

- RB-SCED: potential to significantly enhance efficiencies of real-time electricity markets;
- while simultaneously increasing security levels and providing operators with a “system lever” for more effective control.
- Offers basis for identifying prices when “unmanageable constraints” are relaxed;
- No changes in market structure are required.
- Next step: commercialize into market SW; then gain experience side-by-side with SCED

# References

1. \*Q. Wang, \*G. Zhang, J. McCalley, T. Zheng, and E. Litvinov, "Risk-based locational marginal pricing and congestion management," under review by *IEEE Transactions on Power Systems*.
2. \*Q. Wang, J. McCalley, T. Zheng, and E. Litvinov, "Solving Corrective Risk-based Security-Constrained OPF with Lagrangian Relaxation and Benders Decomposition," under review by *IEEE Transactions on Power Systems*.
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4. \*Q. Wang, J. McCalley, and Wanning Li, "Risk and 'N-1' Criteria Coordination for Real-time Operations," to appear in *IEEE Transactions on Power Systems*, 2013.
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6. \*R. Dai, \*H. Pham, \*Y. Wang, and J. McCalley, "Long term benefits of online risk-based optimal power flow," *Journal of Risk and Reliability* (Part O of the Proceedings of the Institution of Mechanical Engineers): Special Issue on "Risk and reliability modeling of energy systems," Vol. 226, Issue 1, Feb, 2012.
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9. \*M. Ni, J. McCalley, V. Vittal, and T. Tayyib, "On-line risk-based security assessment," *IEEE Transactions on Power Systems*, Vol. 18., No. 1, February, 2003, pp 258-265.
10. \*M. Ni, J. McCalley, V. Vittal, S. Greene, \*C. Ten, \*V. Gangula, and T. Tayyib, "Software Implementation of on-line risk-based security assessment," *IEEE Transactions on Power Systems*, Vol. 18, No. 3, August 2003, pp 1165-1172