Opportunities and challenges for probabilistic models of cascading line outages driven by historical utility data

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Overall challenges

- Large blackouts have the most risk, but are hardest: rare, dependent events, sparse data, complicated cascades with many mechanisms for initiation and propagation (mitigating only small blackouts can in some cases increase large blackouts)
- Need multiple approaches:
 - high level statistical models
 - simulation of detailed models
 - historical data

I will discuss historical data and statistical models driven by the data $^{\rm 3}$

Detailed historical line outage data

Automatic (Unplanned) Transmission Line Outages: 2009 Complete

CHRONOLOGICAL ORDER

	Tred		Gen			Own	Length			Out	Disp
Outage#	ID	Line Name	Flag	kV	District	Code	(Mi)	Out Date/Time	In Date/Time	Mins	Caus
157560	339	xxxx-xxxxxx (230 kV)		230	XXXX	2	0.5	6/18/07 23:48	2/23/09 14:38	886550	81
164651	140	xxxx-xxxxxx (230 kV)	G	230	XXXX	1	61.9	1/2/09 2:35	1/2/09 17:43	908	31
164652	497	xxxx-xxxxxx (115 kV)	G	115	XXXX	1	24.8	1/2/09 3:55	1/2/09 6:59	184	90

- Includes automatic line trip times to nearest minute
- All utilities in USA gather and report TADS data to NERC; similar data also gathered internationally
- We use BPA data that is published on the web
- 10942 automatic line outages over 14 years
- Simple approach: only look at time of outages
- Group outages into 6687 cascades and then into generations by their timing

Generations (tiers) of outages

Cascading outages can be divided into generations; each generation of outages is the outages very close in time e.g. line outages within one minute

> top-down analysis; no causal relations are identified

can show generations of the cascade evolving on the network





For this cascade, red lines outage in generations 1,2,3,4,5,6 as shown

HISTORICAL DATA BASIC CHARACTERISTICS

- Reality! (no modeling assumptions)
- Utilities have detailed outage data such as TADS; If you start with available data, then methods can be applied.
- Limited to past observations
- Statistics averaged over past time; grid slowly changes
- Data processing matters:
 e.g. what counts as a line outage?
- Data of most interest (large cascades) is sparse
- Cannot experiment or ask "what if" ... but influence graphs can work!

HISTORICAL DATA OPPORTUNITIES

- Direct observation of initiating and propagating outages from processed data; lines most involved in initiating or continuing large cascades: "top-down statistics"
- Validating, calibrating and improving simulations; distributions of quantities can be matched
- Insights into cascading; Enables discovery
- Cascading metrics
- Mitigation of large cascades with influence graphs

Now we will look at a potential cascading metric based on the number of generations in a cascade

Distribution of number of generations fits a Zipf distribution with slope -3.0



System Event Propagation Slope Index SEPSI = - slope



CASCADING METRIC System Event Propagation Slope Index (SEPSI)

		condition	SEPSI
1.	get sample of enough cascades	all	3.0
2.	empirical distribution of number of	storms	2.2
	generations on log-log plot	no storms	3.1
2		summer	2.9
3.	SEPSI = - slope of fitted line	not summer	3.2
4.	SEPSI smaller means worse cascading	non-peak hours	3.1

SEPSI needs testing on other data sets

CHALLENGES

- historical data has good reality but we cannot experiment with mitigations
- sparse cascading data

OPPORTUNITY: Use data to build Markov chain **influence graph** that describes pair-wise interactions between cascading line outages Get:

- probabilities of small, medium, large cascades
- critical lines to upgrade
- try out mitigation of large cascades

Mitigation of cascading with Markov chain influence graphs



Simple example of forming influence graph = Markov chain

cascade	generation 0	generation 1	generation 2	generation 3
number	X_0	X_1	X_2	X_3
1	{line 1}	{line 3}	{line 2}	{}
2	{line 2}	{line 1, line 3}	{}	{}
3	{line 3}	{line 1}	{}	{}
4	{line 1}	{}	{}	{}



Data-driven influence graph: gray is real grid; red indicates cascading connections

Can analyze influence graph to suggest mitigations; can test mitigations ¹⁶

Estimating influence graph from sparse data

- Objective is to estimate Markov chain probability transition matrices (red line thicknesses)
- Combine all data after the first transition
- Use Bayesian methods to improve estimates of stopping probabilities
- Account for outages during cascade that are independently generated
- Adjust each transition so that it matches observed propagation at that generation

Estimating probabilities of cascade size

- Given Markov chain transition matrices and the probability distribution of initial outages, can calculate probability of stopped cascade at generation k and hence the probability of cascade length k or more.
- Hence the probabilities of
 - small cascades (1-2 generations)
 - medium cascades (3-9 generations)
 - large cascades (10 or more generations)
- Then we use bootstrap to estimate the uncertainties of these probabilities
 e.g. probability of large cascades is estimated to within a factor of 1.5 with 95% probability

Markov chain theory gives the lines eventually most involved in long cascades

- Every cascade has a series of transient states and then stops (goes to the state with no lines out)
- But before they stop, cascades tend towards

 a stationary distribution over the transient states,
 that is an eigenvector of a submatrix of the transition
 matrix. We calculate this eigenvector.
- The most likely states in the stationary distribution are the states eventually most involved in long cascades
- "Projecting" the states down to the lines gives the critical lines eventually most involved in long cascades
- Mitigation is modeled by reducing the probability of transitions to the critical lines



large cascades (≥ 10 generations) reduced by 45%

Conclusions

- Data has rich opportunities. Also if you start with available data, then methods can be applied. We use standard utility data (TADS).
- Can see cascade spread on network in generations
- Number of generations has a Zipf distribution for our data set. Slope of line suggests a cascading metric.
- Influence graph
 - Markov chain that describes pairwise outage interactions; cascades move along influence graph
 - Transition matrices can be estimated and analyzed to give lines critical for propagation

- Mitigating large cascades by upgrading those lines can be tested on influence graph

• I offer to process your historical TADS data to try out the methods

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available at <u>iandobson.ece.iastate.edu</u>

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Questions?

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